Test Case Generation by Symbolic Execution: Basic Concepts, a CLP-based Instance, and Actor-based Concurrency

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Introduction: Test Case Generation

- Testing: vital part of the software development process
- ▶ Three recent factors have made it take more central role:
 - 1 introduction of testing environments (e.g., JUnit)
 - 2 increasingly complex systems are being built
 - there is a growing tendency to prove software correctness

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 - 1 introduction of testing environments (e.g., JUnit)
 - increasingly complex systems are being built
 - there is a growing tendency to prove software correctness
- ► TCG: automatic generation of a collection of test-cases to be applied to a system under test.
- ► Ensure certain coverage criterion: heuristics to estimate how well the program is exercised by a test suite.
 - statement coverage: each line of the code is executed,
 - path coverage: every possible trace is executed,
 - loop-k: limit to a threshold k the number of times we iterate on loops

White-box Test Case Generation

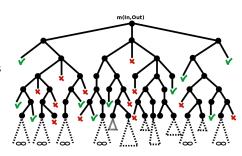
Several classifications of testing techniques:

- ▶ Random vs. non-random ⇒ difficult to obtain high degree of code coverage in random unless consider huge number of inputs
- ▶ Black-box vs. **white-box** ⇒ test cases obtained from specifications vs. from program
- ▶ Dynamic vs. **static** ⇒ depending if input variables are instantiated

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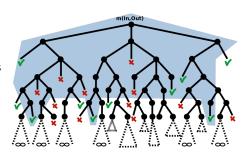
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- Static white-box TCG
 - Symbolic Execution
 - Execution with symbolic values \Rightarrow constrained variables
 - Non-determinism due to branching instructions involving unknown data
 - Termination criterion \Rightarrow loop-k
 - Path coverage
 - · Result: Path conditions or equivalence classes of inputs



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Plan of the Lecture

- Part 1: Symbolic execution and TCG
 - Introduction
 - Handling heap-manipulating programs
 - Compositionallity
- ▶ Part 2: CLP-based TCG
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 - Demo
- ▶ Part 3: TCG of Concurrent (Actor) Programs
 - The path explotion problem
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Symbolic Execution

- ► King [Comm. ACM 1976], Clarke [IEEE TSE 1976]
- Analysis of programs with unspecified inputs
- Symbolic states represent sets of concrete states
 - Variables carry symbolic expressions instead of concrete values
- ► For each path, build path condition
 - Condition on inputs, for the execution to follow that path
 - Check path condition satisfiability, explore only feasible paths
- Renewed interest in recent years
- ► Applications: test-case generation, error detection,...
- ► Tools: CUTE and jCUTE (UIUC), EXE and KLEE (Stanford), CREST and BitBlaze (UC Berkeley), Pex, SAGE, YOGI and PREfix (Microsoft), PET (UCM-UPM), SPF (Symbolic Pathfinder, NASA Ames),...

Java Code

```
int abs(int x) {
  if (x >= 0) return x;
  else return -x;
}
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Test Cases

```
 \left\{ \begin{array}{l} \left\langle X \right\rangle = 0, Z = X \right\rangle, \\ \left\langle X \right\langle 0, Z = -X \right\rangle \end{array} \right\}
```

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Concrete Inputs

$$\left\{ \begin{array}{l} \left\langle \begin{array}{l} X = 1, \ Z = 1 \right\rangle, \\ \left\langle \begin{array}{l} X = -1, \ Z = 1 \right\rangle \end{array} \right\} \end{array}$$

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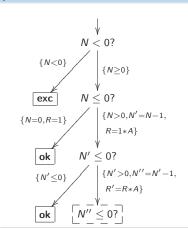
JUnit Code

```
void test_abs() {
  assertEquals(abs(1),1);
  assertEquals(abs(-1,1));
}
```

```
Java source code
int exp(int a,int n) {
①    if (n < 0)
②        throw new Exception();
③    else {
④        int r = 1;
⑤        while (n > 0) {
⑥            r = r*a;
⑦            n--;
⑧        }
⑨        return r;
②    }
```

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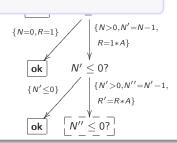
Symbolic Execution Tree



Test cases

Jav #	Input	Output	Path condition
int 2	[A, N]	[exception] 1 R	{N<0}
① 3	[A, N]		{N=0}
② ——	[A, N]		{N>0, N'=N-1, N'<=0, R=1*A}

while (n > 0) {
 r = r*a;
 n--;
 }
 return r;
}



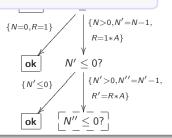
Test cases

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#	Input	Output	Path condition
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3	[A, N]	R	$\{N>0, N'=N-1, N'<=0, R=1*A\}$

Concrete inputs

#	Input		Output
1 2 3	[-10, [-10,	0]	[Exception] 1 -10



Unit tests (JUnit) Test cases public void test_1() { **int** input0 = -10, input1 = -10; # Input try{ int output = Test.intExp(input0,input1); } Jaν [A, N] ſez assertEquals("exception", "ArithmeticException", int [A, N] ex.getClass().getName()); return; [A, N] fail("Fail"); public void test_2() { Concrete input int input0 = -10, input1 = 0; int output = Test.intExp(input0,input1); int expected = 1; assertEquals("OK", expected, output); Input # public void test_3(){ int input0 = -10, input1 = 1; [-10, -10]int output = Test intExp(input0,input1); int expected = -10; [-10, 0]assertEquals("OK", expected, output); [-10, 1]

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Challenge: Efficiently handling heap-manipulating programs

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 - Outperform Lazy Initialization

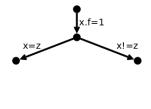
```
m(C x, C y, C z)
    x.f = 1;
    z.f = -5;
    y.f = x.f+1;
    m2();
    if (x==z)
        m3(y.f);
    else
        m4(v.f);
```

 Standard technique to handle aliasing. Used in state-of-the-art systems, e.g., PET (UCM&UPM) and SPF (NASA Ames)

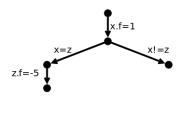
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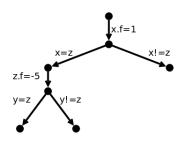
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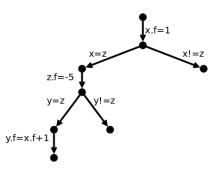
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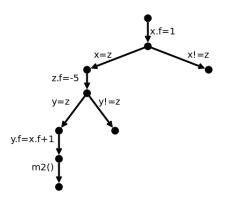
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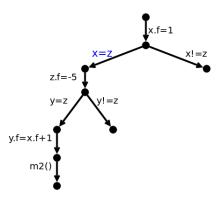
- ► Field accesses on unknown references trigger non-determinism: 1)

 Null 2) New reference 3) Each aliasing possibility
- F Elvira Albert

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```
m(C \times, C \vee, C \times)
     x.f = 1:
                                      z.f=-5
     z.f = -5;
     y.f = x.f+1;
                                      y=z
                                               v! = z
     m2();
     if(x==z)
                              y.f=x.f+1
          m3(y.f);
     else
                                  m2()
          m4(y.f);
                                m3(y.f)
```

- Symbolic execution quickly becomes impractical
- ▶ Redundant exploration of large number of paths

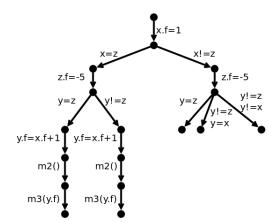
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                                           y.f = x.f + 1
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     else
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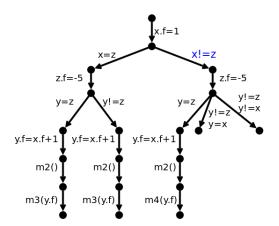
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                                                    y.f=x.f+1
                                                                   y.f = x.f + 1
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     else
                                                                   m2()
                                 m2()
                                            m2()
                                                         m2()
           m4(y.f);
                               m3(y.f)
                                          m3(y.f)
                                                       m4(y.f)
```

- Symbolic execution quickly becomes impractical
- ▶ Redundant exploration of large number of paths

```
m(C \times, C \vee, C \times)
                                               X=7
      x.f = 1;
                                      z.f=-5
                                                                        z.f=-5
      z.f = -5;
                                                                            v! = z
      y.f = x.f+1;
                                                v! = z
                                      y=z
                                                               v=z
     m2();
      if(x==z)
                                         y.f = x.f + 1
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► A more scalable approach than lazy initialization

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                                                     z.f=-5
     x.f = 1:
                                                      {z=x; z!=x}
     z.f = -5;
     y.f = x.f+1;
     m2();
     if (x==z)
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     else
          m4(y.f);
```

▶ Avoid non-determinism as much as possible

```
m(C \times, C \vee, C \times)
     x.f = 1:
                                                     z.f=-5
     z.f = -5;
     y.f = x.f+1;
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```

► Treatment of reference aliasing by means of disjunctions

```
x.f=1
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                                                      m2()
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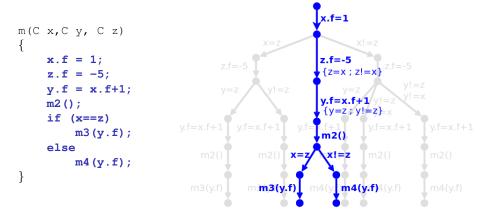
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     z.f = -5;
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     m2();
     if(x==z)
          m3(y.f);
                                                     m2()
     else
                                                      x!=z
          m4(y.f);
```

Propagation of heap-related constraints

```
x.f=1
m(C \times, C \vee, C \times)
     x.f = 1:
                                                      z.f=-5
     z.f = -5;
     y.f = x.f+1;
     m2();
     if(x==z)
          m3(y.f);
                                                       m2()
     else
                                                       x!=z
                                                 x = z
          m4(y.f);
                                         mm3(y.f)
```

► Support for heap assumptions to avoid certain aliasing configurations. E.g., acyclic(x), non-aliasing(x,z)



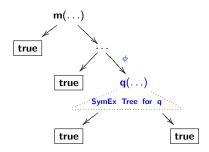
- ► Implemented in PET
- ► Applicable to other systems

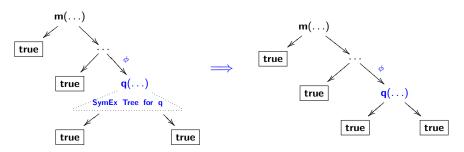
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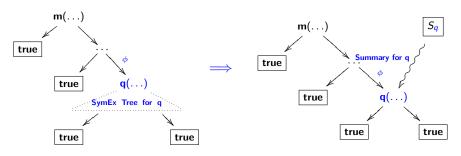


- ► Compositional reasoning to tackle inter-procedural path explosion
- ▶ Generation and re-utilization of method summaries
- Handling native code and libraries

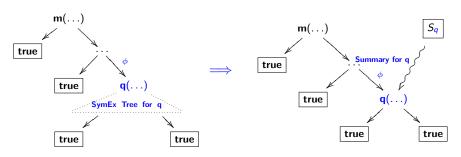




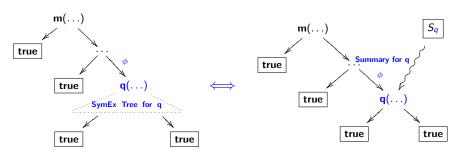
Avoid inlining the symbolic execution tree of q



- Avoid inlining the symbolic execution tree of q
- Use method summary for q: Check compatibility with current state of m
 (Only compatible summary cases are composed)

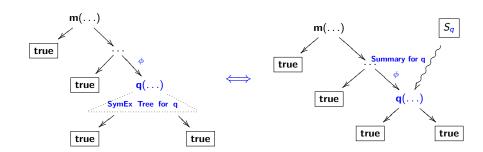


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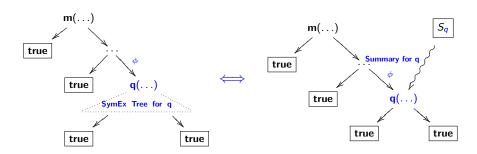


- Avoid inlining the symbolic execution tree of q
- Use method summary for q: Check compatibility with current state of m (Only compatible summary cases are composed)
- ▶ Incremental: summary for method m is created
- ► Compositional TCG must compute the same results as Standard TCG

Composition Strategies



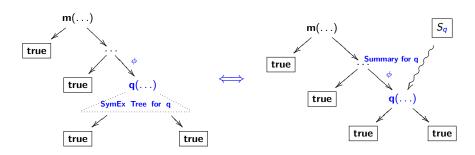
Composition Strategies



Context-sensitive

- ► Top-down traversal of call-graph
- Pro.: Only required information is computed
- ► Con.: Reusability of summaries is not always possible

Composition Strategies



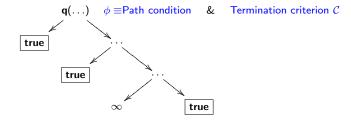
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- Pro.: Only required information is computed
- Con.: Reusability of summaries is not always possible

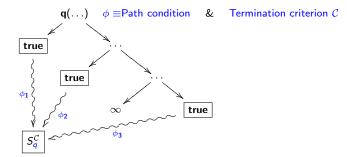
Context-insensitive

- ► Bottom-up traversal of call-graph
- Pro.: Composition can always be performed
- Con.: Summaries can contain more test cases than necessary (more expensive)

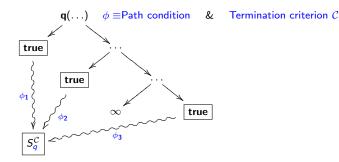
Generating Symbolic Execution Summaries



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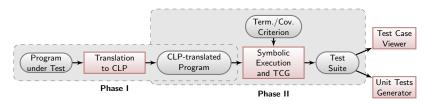
Generating Symbolic Execution Summaries



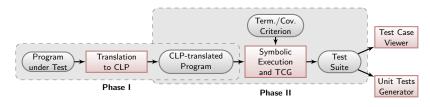
- A summary is a finite representation of the symbolic execution of a program for a given termination criterion, i.e., $S_q^{\mathcal{C}} \equiv \mathcal{T}_q^{\mathcal{C}}$
- ▶ Each element in a summary corresponds to a symbolic execution path (test case)
- ► Complete for a given coverage criterion, but partial in general

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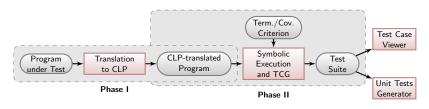
► Translation of the source language to CLP



Translation of the source language to CLP

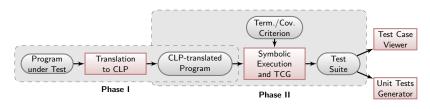
```
Java Code CLP-translated int abs (int x) { abs (X, X) :- X \ #>= 0. if (x >= 0) return x; abs (X, Z) :- X \ #< 0, else return -x; } Z \ #= -x.
```

▶ Bounded symbolic execution of the CLP-translated program



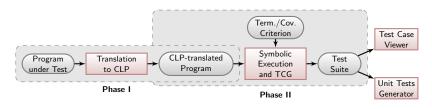
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- ► Symbolic execution comes (almost) for free in CLP



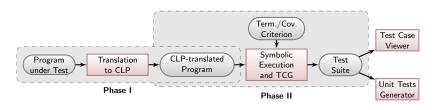
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The PET System (costa.ls.fi.upm.es/pet)

Symbolic Execution and Test Case Generation

Let M be a method, m be its corresponding predicate from its CLP-translated program P, and C be a termination criterion.

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- ► TCG is the process of generating the set of test cases for all successful (terminating) paths in $\mathcal{T}_m^{\mathcal{C}}$.

Concrete example

Java source code int exp(int a,int n) { if (n < 0) throw new Exception(); else { int r = 1; while (n > 0) { r = r*a; n--; } return r; }

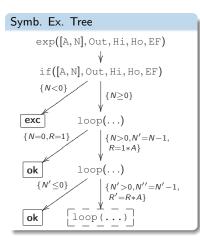
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CLP-translated program

```
\exp([A,N],Out,H_i,H_o,EF):-
     if([A,N],Out,H<sub>1</sub>,H<sub>0</sub>,EF).
if([A,N], Out,H;,Ho,exc(X)):-
     N < 0.
     new_object(H<sub>i</sub>,'Exc',X,H<sub>o</sub>).
if([A,N],Out,H,H,ok) :-
    N \gg 0,
     loop([A,N,1],Out).
loop([ A, N, R], R) :-
     N \ll 0.
loop([A, N, R], Out) :-
     N > 0.
     R' = R * A,
     N' = N-1,
     loop (A, N', R', Out).
```

Concrete example



CLP-translated program

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Concrete example

Test cases

Sy

#	Input	Output	Path condition
1	[A, N]	[exception]	{N<0}
2	[A, N]	1	{N=0}
3	[A, N]	R	{N>0, N'=N-1, R=1*A, N'<=0}

 $\begin{array}{c|c} \mathbf{exc} & \mathsf{loop}(\dots) \\ \hline \{ \mathit{N} = 0, \mathit{R} = 1 \} & & \{ \mathit{N} > 0, \mathit{N}' = \mathit{N} - 1, \\ \mathit{R} = 1 * \mathit{A} \} \\ \hline \mathbf{ok} & \mathsf{loop}(\dots) \\ \hline \{ \mathit{N}' \leq 0 \} & & \{ \mathit{N}' > 0, \mathit{N}'' = \mathit{N}' - 1, \\ \mathit{R}' = \mathit{R} * \mathit{A} \} \\ \hline \mathbf{ok} & & \mathsf{loop}(\dots) \\ \hline \end{array}$

```
N >= 0,
loop([A,N,1],Out).
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N <= 0.
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Test cases

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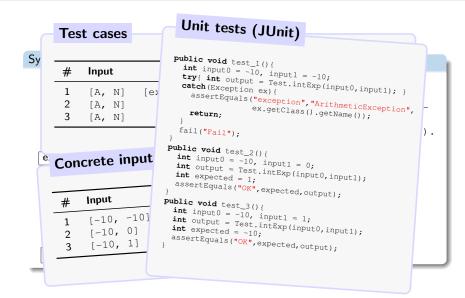
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E Concrete inputs

#	Input		Output
1 2 3	[-10, [-10,	0]	[Exception] 1 -10

N >= 0, loop([A,N,1],Out). oop([A,N,R],R):-N <= 0. oop([A,N,R],Out):-N > 0, R' = R*A, N' = N-1, loop(A,N',R',Out).

Concrete example

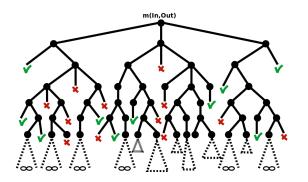


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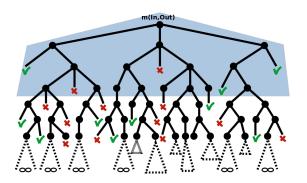
Motivation and Selective Coverage Criteria

TCG = Symbolic exec. +



Motivation and Selective Coverage Criteria

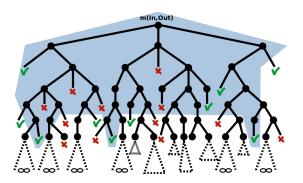
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► Termination criteria: depth-k,

Motivation and Selective Coverage Criteria

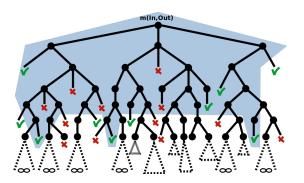
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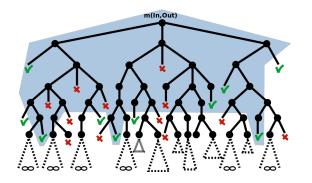
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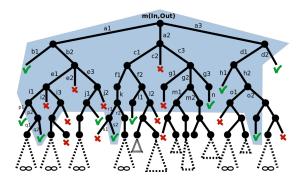
- ► Termination criteria: depth-k, loop-k
- ► Selection criteria: specific program point(s) (specific exception(s)), all local paths, worst memory consumption (within a loop-k limit), ...

Naive Approach to Selective TCG

Selective TCG (naive) = TCG + filtering of test cases

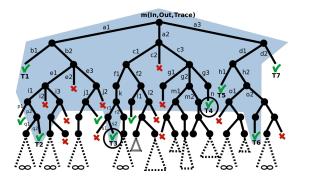


Selective TCG (naive) = TCG + filtering of test cases



▶ Paths in the symbolic execution tree can be labeled

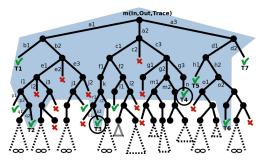
Selective TCG (naive) = TCG + filtering of test cases



- ▶ Paths in the symbolic execution tree can be labeled
- ▶ Filtering is done by looking at the traces associated to the test cases

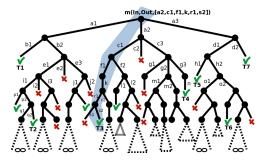
Guided Test Case Generation Intuition

- ► Challenge: Avoid the generation of non-interesting paths
- ▶ Idea: Use the trace argument as an input to guide symbolic exec.

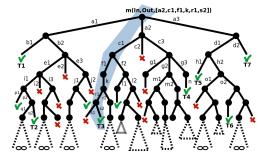


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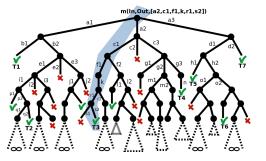


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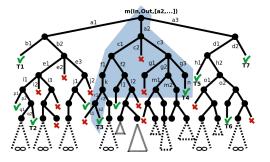
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Guided TCG = Traces generator + guided symb. execs. + constr. solving

► Traces can be complete

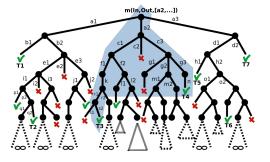
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 ${\sf Guided\ TCG=Traces\ generator+guided\ symb.\ execs.+constr.\ solving}$

- ► Traces can be complete or partial
- ► The different symbolic executions are independent of each other
 - Can be performed in parallel and simplifies constraint solving

A Generic Algorithm for Guided TCG

```
Input: M, \langle TC, SC \rangle and TraceGen
TestCases = {}
while TraceGen has more traces and TestCases doesn't satisfy SC
Ask TraceGen to generate a new trace in Trace
TestCases = TestCases U {first of guidedSymbExec(M, TC, Trace)}
Output: TestCases
```

Conclusions & References (Parts 1 and 2)

- Symbolic execution consists in executing the program with symbolic (constraint) variables
- Test cases are extracted from successful branches of the symbolic execution tree
- The main challenges are related to scalability:
 - heap-manipulating programs [ICLP'10,ICLP'13]
 - compositionallity [LOPSTR'09]
- CLP-based instance:
 - Symbolic execution almost for free [LOPSTR'08]
 - Language-independent approach (same TCG engine)
 - Guided TCG [LOPSTR'11,LOPSTR'12]
- PET: implementation of this approach [PEPM'10]

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Introduction

- Concurrency in programming is gaining importance
- ▶ Additional hazards in concurrent programs: data races, deadlocks, etc.
- Software validation techniques urge especially in this context
- ▶ Path explosion problem non-deterministic interleavings of processes
 - An exhaustive exploration is often computationally intractable
 - Challenge: Avoid redundant state exploration
 - Partial Order Reduction techniques (POR)

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 - An exhaustive exploration is often computationally intractable
 - Challenge: Avoid redundant state exploration
 - Partial Order Reduction techniques (POR)
- ► Thread-based concurrency tends to be error-prone, very difficult to debug and analyze and not scalable
- ► Alternative ⇒ the Actors-based concurrency model (e.g. Erlang, Scala, ABS, Java libraries for actors, ...)
- Actors concurrency model in OO style (Concurrent Objects):
 - Actor/Object ⇔ concurrency unit
 - ② No shared memory ⇒ Information exchange by means of messages/asynchronous-method-calls
 - Task scheduling is cooperative



The Actor Model

Syntax of the Language

```
M ::=  void m(\overline{T} \ \overline{x})\{s;\}

s ::=  s \ ; \ s \ | \ x = e \ | \ x =  this.f \ | \ this.f = y \ | \ if b \ then s \ else s \ | \ while b \ do s \ | \ x =  new C \ | \ x \ ! \ m(\overline{z}) \ | \ return
```

- ▶ A **program** is a set of classes. A class contains a set of **fields** *f* and **methods** *M*.
- ► Actors are created dynamically using the instruction **new**.
- Each actor has its own local state and thread control and communicate by exchanging messages asynchronously.
- ▶ An actor sends a message to another actor x by means of an asynchronous method call $x ! m(\bar{z})$.
- ► An actor configuration consists: **local state** and **pending tasks**.

- ▶ At each execution step, firstly an actor and secondly a process of its pending tasks are scheduled.
- ▶ There are two levels of non-determinism:
 - Actor-selection: The selection of which actor executes;
 - Task-selection: The selection of the task within the selected actor.

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State Explosion Problem

- As actors do not share their states, in testing we assume that evaluation of all statements of a task is serial until processor released
- ▶ A naïve exploration of the search space to reach all possible system configurations does not scale.
- ▶ Partial-order reduction (POR) helps mitigate this problem by exploring the subset of all possible interleavings which lead to a different configuration.

$$h_{o_1} = \{this.f = 2\}$$
 $t_1 \mapsto this.f = 5$ $t_2 \mapsto this.f = 7$
 $h_{o_2} = \{this.g = 1\}$ $t_3 \mapsto this.g = 9$

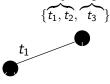
$$\{\overbrace{t_1,t_2,t_3}^{b_1}\}$$

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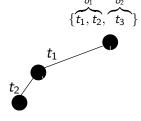


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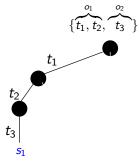


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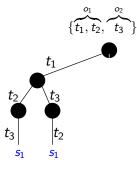
this.g = 9this.f = 7**S**1

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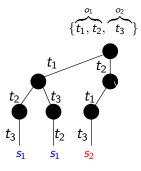
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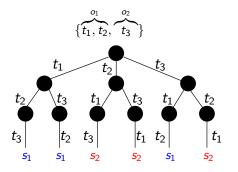
$$t_2 \mapsto this.f = 7$$



$$\begin{array}{c} this.g = 9 \\ this.f = 7 \\ \hline s_1 \end{array}$$

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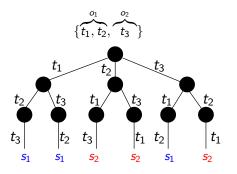
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 $\begin{array}{c}
this.g = 9 \\
this.f = 7
\end{array}$

Partial Order Reduction

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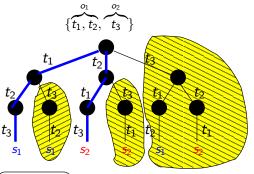
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 $\begin{array}{c}
\text{this.} g = 9 \\
\text{this.} f = 5 \\
\hline
s_2
\end{array}$

order in $o_1: t_1 < t_2 \quad t_2 < t_1$ o_1, o_2 are temporarily stable

Partial Order Reduction

$$egin{aligned} h_{o_1} &= \{ this.f = 2 \} & t_1 \mapsto this.f = 5 & t_2 \mapsto this.f = 7 \ h_{o_2} &= \{ this.g = 1 \} & t_3 \mapsto this.g = 9 \end{aligned}$$



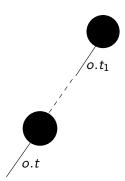
 $\begin{array}{c}
this.g = 9 \\
this.f = 7
\end{array}$

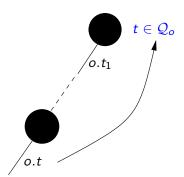
 $\begin{array}{c} this.g = 9 \\ this.f = 5 \end{array}$

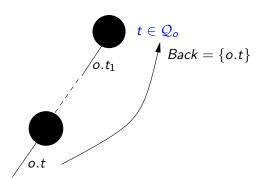
order in $o_1: t_1 < t_2 \quad t_2 < t_1$ o_1, o_2 are temporarily stable

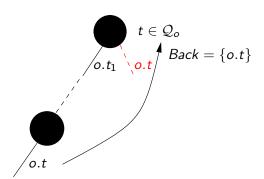
TransDPOR [Tasharofi et al FMOODS/FORTE 2012]

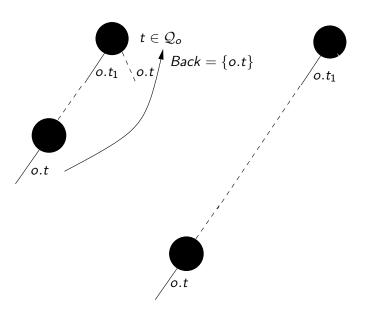
- ▶ Intuition: for each configuration, use a **backtrack set**, which is updated during the execution of the program when it realises that a non-deterministic choice must be tried
- Select Object and Select Task (non-deterministically) from a node n: o.t
- Execute o.t in node n;
- ▶ If o has been previously selected, look for the first node n' from the root, selecting object o.
 - If t was in n', then mark **backtracking** on n' with o.t;
 - Otherwise, look from n upwards, the object o' which introduced t by executing o'.t'. If o'.t' is in n', add backtraking on o'.t' in node n'.
 Otherwise repeat the process with o'.t' upwards.

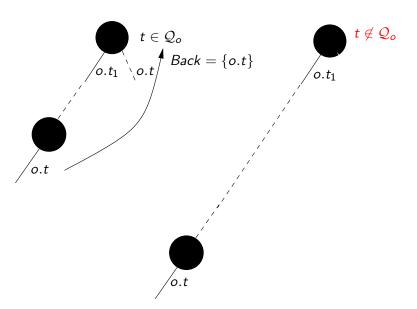


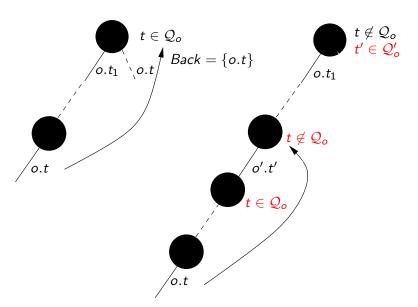


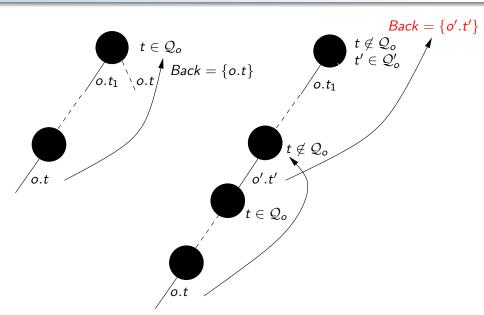


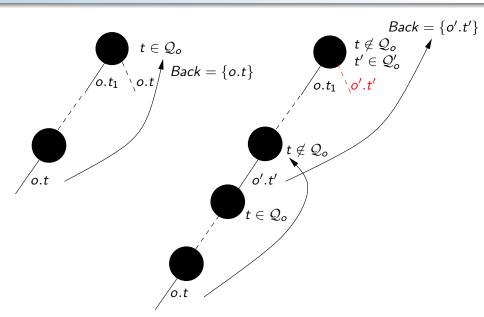


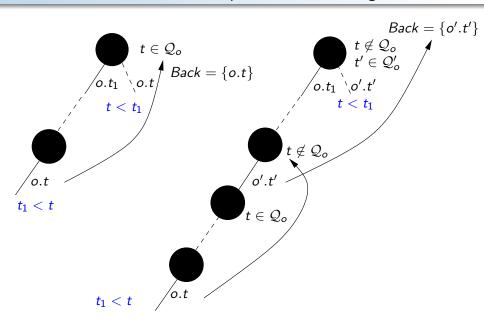


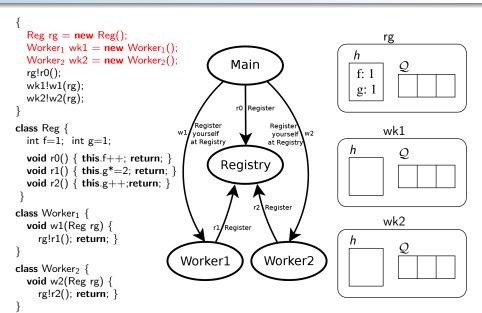


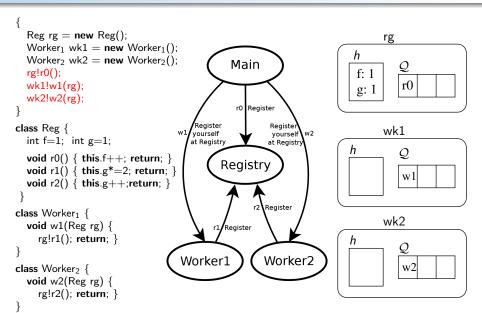


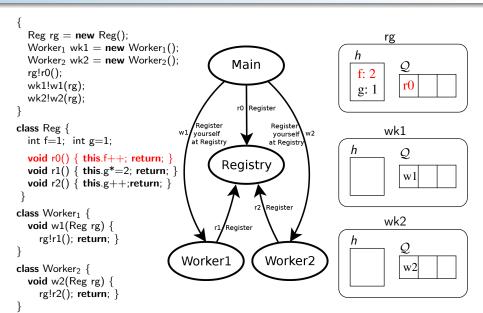


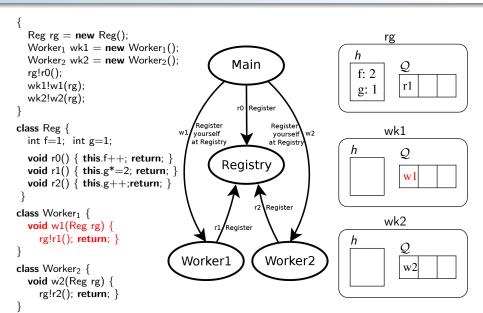


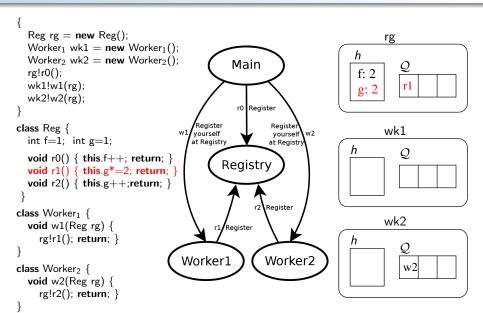


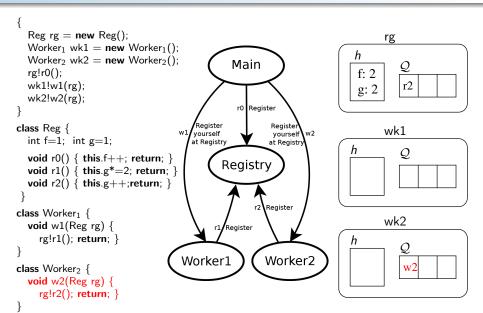


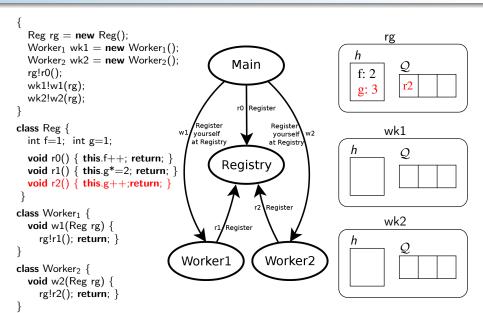


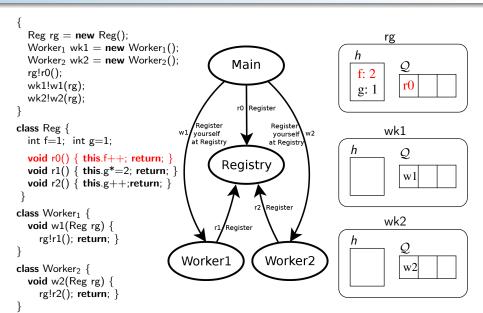


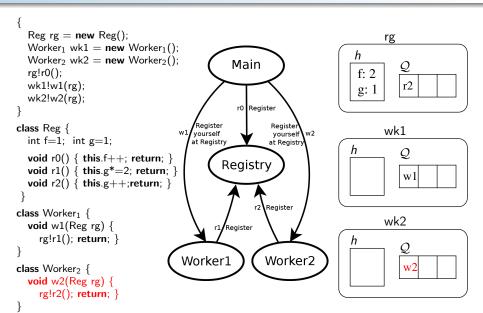


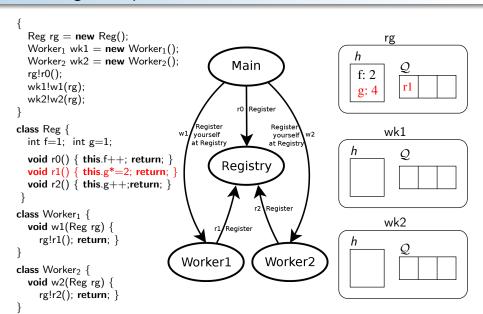








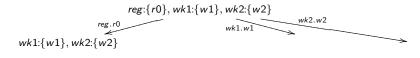




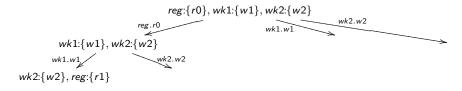
```
class Worker<sub>1</sub> {
// main Block
                                                          void w1(Reg rg) {rg!r1(); return;}
Reg reg = new Reg;
Worker<sub>1</sub> wk1 = new Worker<sub>1</sub>();
Worker<sub>2</sub> wk2 = new Worker<sub>2</sub>();
                                                       class Worker<sub>2</sub> {
reg!r0();
                                                          void w2(Reg rg) {rg!r2(); return;}
wk1!w1(reg); wk2!w2(reg);
```

 $reg:\{r0\}, wk1:\{w1\}, wk2:\{w2\}$

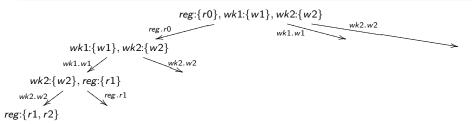
```
 \begin{array}{lll} \textbf{class} \ \mathsf{Reg} \ \{ & & \textbf{class} \ \mathsf{Worker}_1 \ \{ \\ & \mathsf{int} \ f{=}1; \ \mathsf{int} \ \mathsf{g}{=}1; & & \mathsf{void} \ \mathsf{w1}(\mathsf{Reg} \ \mathsf{rg}) \ \{\mathsf{rg!r1}(); \ \mathsf{return}; \} \\ & \mathsf{void} \ \mathsf{r0}() \ \{\mathsf{this}.\mathsf{g}{+}{+}; \ \mathsf{return}; \} & & \mathsf{class} \ \mathsf{Worker}_2 \ \{ \\ & \mathsf{void} \ \mathsf{w2}(\mathsf{Reg} \ \mathsf{rg}) \ \{\mathsf{rg!r2}(); \ \mathsf{return}; \} \\ \} \\ \} \end{array}
```



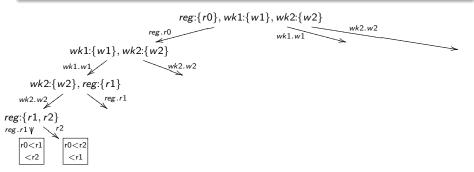
```
 \begin{array}{lll} \textbf{class} \ \mathsf{Reg} \ \{ & \textbf{class} \ \mathsf{Worker}_1 \ \{ \\ & \mathsf{int} \ \mathsf{f} = 1; \ \mathsf{int} \ \mathsf{g} = 1; \\ & \textbf{void} \ \mathsf{v0}() \ \{ \textbf{this}.\mathsf{f} + +; \ \mathsf{return}; \} \\ & \textbf{void} \ \mathsf{r1}() \ \{ \textbf{this}.\mathsf{g}^* = 2; \ \mathsf{return}; \} \\ & \textbf{void} \ \mathsf{r2}() \ \{ \textbf{this}.\mathsf{g} + +; \ \mathsf{return}; \} \\ \} \\ \end{array} \right. \\ \begin{array}{ll} \mathsf{class} \ \mathsf{Worker}_1 \ \{ \\ & \textbf{void} \ \mathsf{w1}(\mathsf{Reg} \ \mathsf{rg}) \ \{ \mathsf{rg}! \mathsf{r1}(); \ \mathsf{return}; \} \\ \\ \mathsf{class} \ \mathsf{Worker}_2 \ \{ \\ & \textbf{void} \ \mathsf{w2}(\mathsf{Reg} \ \mathsf{rg}) \ \{ \mathsf{rg}! \mathsf{r2}(); \ \mathsf{return}; \} \\ \} \\ \end{array} \right. \\
```



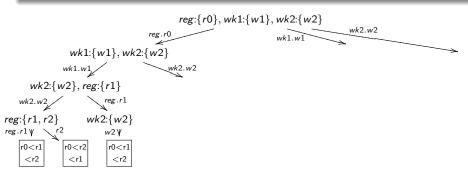
```
 \begin{array}{lll} \text{class Reg } \{ & \text{class Worker}_1 \ \{ & \text{void ro}() \ \{ \text{this}.f + +; \ \text{return}; \} \\ \text{void r1}() \ \{ \text{this}.g * = 2; \ \text{return}; \} \\ \text{void r2}() \ \{ \text{this}.g + +; \ \text{return}; \} \\ \} \end{array}   \begin{array}{lll} \text{class Worker}_1 \ \{ & \text{void w1}(\text{Reg rg}) \ \{ \text{rg!r1}(); \ \text{return}; \} \\ \text{class Worker}_2 \ \{ & \text{void w2}(\text{Reg rg}) \ \{ \text{rg!r2}(); \ \text{return}; \} \\ \} \\ \end{array}
```



```
 \begin{array}{lll} \textbf{class} \ \mathsf{Reg} \ \{ & \textbf{class} \ \mathsf{Worker}_1 \ \{ \\ \mathsf{int} \ \mathsf{f} = 1; \ \mathsf{int} \ \mathsf{g} = 1; & \textbf{void} \ \mathsf{w1}(\mathsf{Reg} \ \mathsf{rg}) \ \{ \mathsf{rg!r1}(); \ \textbf{return}; \} \\ \textbf{void} \ \mathsf{r0}() \ \{ \textbf{this}.\mathsf{f} + +; \ \textbf{return}; \} & \textbf{class} \ \mathsf{Worker}_2 \ \{ \\ \textbf{void} \ \mathsf{r2}() \ \{ \textbf{this}.\mathsf{g} + +; \ \textbf{return}; \} & \textbf{void} \ \mathsf{w2}(\mathsf{Reg} \ \mathsf{rg}) \ \{ \mathsf{rg!r2}(); \ \textbf{return}; \} \\ \} \\ \end{cases}
```

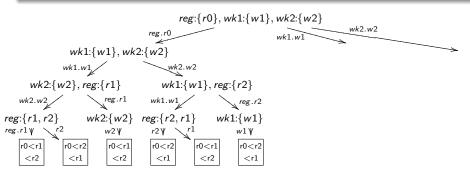


```
 \begin{array}{lll} \textbf{class} \ \mathsf{Reg} \ \{ & & & & & & & \\ \mathsf{int} \ f{=}1; \ \ \mathsf{int} \ g{=}1; & & & & & \\ & \mathsf{void} \ \mathsf{r0}() \ \{\mathsf{this.f}{+}{+}; \ \mathsf{return}; \} & & & \\ & \mathsf{void} \ \mathsf{r1}() \ \{\mathsf{this.g}{*}{=}2; \ \mathsf{return}; \} & & & \\ & \mathsf{void} \ \mathsf{r2}() \ \{\mathsf{this.g}{+}{+}; \ \mathsf{return}; \} & & & \\ & \} & & & \\ & \} & & \\ & \} & & \\ & \} & & \\ \end{array}
```

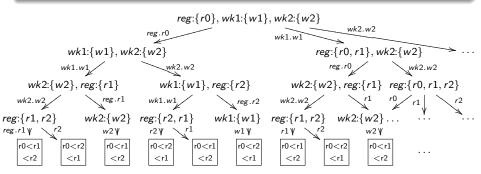


▶ Partial Order Reduction: Executions with the same partial order are redundant

```
 \begin{array}{lll} \textbf{class} \ \mathsf{Reg} \ \{ & \textbf{class} \ \mathsf{Worker}_1 \ \{ \\ \mathsf{int} \ \mathsf{f} = 1; \ \mathsf{int} \ \mathsf{g} = 1; & \textbf{void} \ \mathsf{w1}(\mathsf{Reg} \ \mathsf{rg}) \ \{ \mathsf{rg!r1}(); \ \mathsf{return}; \} \\ & \textbf{void} \ \mathsf{r0}() \ \{ \textbf{this}.\mathsf{f} + +; \ \mathsf{return}; \} & \textbf{class} \ \mathsf{Worker}_2 \ \{ \\ & \textbf{void} \ \mathsf{v2}() \ \{ \textbf{this}.\mathsf{g} + +; \ \mathsf{return}; \} \\ \} \\ \} \end{array}
```



▶ Partial Order Reduction: Executions with the same partial order are redundant



- ▶ Partial Order Reduction: Executions with the same partial order are redundant
- ▶ 32 paths are explored. 26 of them redundant!

```
class Reg {
                                             class Worker<sub>1</sub> {
  int f=1; int g=1;
                                               void w1(Reg rg) {rg!r1(); return;}
  void r0() {this.f++; return;}
  void r1() {this.g*=2; return;}
                                             class Worker<sub>2</sub> {
  void r2() {this.g++; return;}
                                               void w2(Reg rg) {rg!r2(); return;}
```

 $reg:\{r0\}, wk1:\{w1\}, wk2:\{w2\}_{[1]}$

```
class Reg {
                                             class Worker<sub>1</sub> {
                                                void w1(Reg rg) {rg!r1(); return;}
  int f=1; int g=1;
  void r0() {this.f++; return;}
  void r1() {this.g*=2; return;}
                                             class Worker<sub>2</sub> {
  void r2() {this.g++; return;}
                                                void w2(Reg rg) {rg!r2(); return;}
```

```
reg:\{r0\}, wk1:\{w1\}, wk2:\{w2\}_{[1]}
           wk1:\{w1\}, wk2:\{w2\}_{[]}
           wk1.w1
reg:\{r1\}, wk2:\{w2\}_{[]}
```

To explore r1 before r0 actor wk1 must be selected in the root

```
class Reg {
                                             class Worker<sub>1</sub> {
                                                void w1(Reg rg) {rg!r1(); return;}
  int f=1; int g=1;
  void r0() {this.f++; return;}
  void r1() {this.g*=2; return;}
                                             class Worker<sub>2</sub> {
                                                void w2(Reg rg) {rg!r2(); return;}
  void r2() {this.g++; return;}
```

```
reg:\{r0\}, wk1:\{w1\}, wk2:\{w2\}_{[wk1]}
           wk1:\{w1\}, wk2:\{w2\}_{[]}
           wk1.w1
reg:\{r1\}, wk2:\{w2\}_{[]}
```

Actor wk1 is added to the backtrack set of the root

```
class Reg {
                                             class Worker<sub>1</sub> {
                                                void w1(Reg rg) {rg!r1(); return;}
  int f=1; int g=1;
  void r0() {this.f++; return;}
  void r1() {this.g*=2; return;}
                                             class Worker<sub>2</sub> {
  void r2() {this.g++; return;}
                                                void w2(Reg rg) {rg!r2(); return;}
```

```
reg:\{r0\}, wk1:\{w1\}, wk2:\{w2\}_{[wk1]}
          wk1:\{w1\}, wk2:\{w2\}_{[]}
           wk1.w1
reg:\{r1\}, wk2:\{w2\}_{[]}
    wk2.w2
   reg:\{r1, r2\}_{[r2]}
         r1
       reg:\{r1\}
       r0<r1<r2
```

```
class Reg {
                                             class Worker<sub>1</sub> {
                                                void w1(Reg rg) {rg!r1(); return;}
  int f=1; int g=1;
  void r0() {this.f++; return;}
  void r1() {this.g*=2; return;}
                                             class Worker<sub>2</sub> {
  void r2() {this.g++; return;}
                                                void w2(Reg rg) {rg!r2(); return;}
```

```
reg:\{r0\}, wk1:\{w1\}, wk2:\{w2\}_{[wk1]}
          wk1:\{w1\}, wk2:\{w2\}_{[1]}
           wk1.w1
reg:\{r1\}, wk2:\{w2\}_{[]}
    wk2.w2\sqrt{}
    reg:\{r1, r2\}_{[r2]}
         r1 √ r2
       reg:\{r1\} reg:\{r2\}
        r0<r1<r2 | r0<r2<r1
```

```
class Reg {
                                             class Worker<sub>1</sub> {
                                                void w1(Reg rg) {rg!r1(); return;}
  int f=1; int g=1;
  void r0() {this.f++; return;}
  void r1() {this.g*=2; return;}
                                             class Worker<sub>2</sub> {
  void r2() {this.g++; return;}
                                                void w2(Reg rg) {rg!r2(); return;}
```

```
reg:\{r0\}, wk1:\{w1\}, wk2:\{w2\}_{[wk1]}
           veg.r0 wk1.w1 \psi wk1:\{w1\}, wk2:\{w2\}_{[\ ]} reg:\{r0, r1\}, wk2:\{w2\}_{[\ ]}
            wk1.w1
reg:\{r1\}, wk2:\{w2\}_{[]}
    wk2.w2√
    reg:\{r1, r2\}_{[r2]}
         r1 √ r2
        reg:\{r1\} reg:\{r2\}
        r0<r1<r2 | r0<r2<r1
```

```
class Reg {
                                             class Worker<sub>1</sub> {
                                                void w1(Reg rg) {rg!r1(); return;}
  int f=1; int g=1;
  void r0() {this.f++; return;}
  void r1() {this.g*=2; return;}
                                             class Worker<sub>2</sub> {
  void r2() {this.g++; return;}
                                                void w2(Reg rg) {rg!r2(); return;}
```

```
reg:\{r0\}, wk1:\{w1\}, wk2:\{w2\}_{[wk1]}
            \textit{reg}{:}\{\textit{r1}\}, \textit{wk2}{:}\{\textit{w2}\}_{\lceil \ \rceil} \ \textit{reg}{:}\{\textit{r1}\}, \textit{wk2}{:}\{\textit{w2}\}_{\lceil \ \rceil}
     wk2.w2\sqrt{}
                wk2.w2√
    reg:\{r1, r2\}_{[r2]} reg:\{r1, r2\}_{[1]}
          r1 ↓ \ \ r2
         reg:\{r1\} reg:\{r2\}
         r0<r1<r2 | r0<r2<r1
```

To explore r2 before r0 actor wk2 must be selected

```
class Reg {
                                             class Worker<sub>1</sub> {
                                                void w1(Reg rg) {rg!r1(); return;}
  int f=1; int g=1;
  void r0() {this.f++; return;}
  void r1() {this.g*=2; return;}
                                             class Worker<sub>2</sub> {
  void r2() {this.g++; return;}
                                                void w2(Reg rg) {rg!r2(); return;}
```

```
reg:\{r0\}, wk1:\{w1\}, wk2:\{w2\}_{[wk1]}
        reg:\{r1\}, wk2:\{w2\}_{[\ ]} \ reg:\{r1\}, wk2:\{w2\}_{[\ ]}
   wk2.w2\sqrt{}
           wk2.w2√
   reg:\{r1, r2\}_{[r2]} reg:\{r1, r2\}_{[r]}
      r1 ↓ \ \ r2
     reg:\{r1\} reg:\{r2\}
      r0<r1<r2 | r0<r2<r1
```

Actor wk2 is added to the backtrack set

```
 \begin{array}{lll} \textbf{class} \ \mathsf{Reg} \ \{ & \textbf{class} \ \mathsf{Worker}_1 \ \{ \\ \textbf{int} \ f=1; \ \textbf{int} \ g=1; & \textbf{void} \ w1(\mathsf{Reg} \ \mathsf{rg}) \ \{ \mathsf{rg!r1}(); \ \textbf{return}; \} \\ \textbf{void} \ r0() \ \{ \textbf{this}.\mathsf{g}++; \ \textbf{return}; \} & \textbf{class} \ \mathsf{Worker}_2 \ \{ \\ \textbf{void} \ w2(\mathsf{Reg} \ \mathsf{rg}) \ \{ \mathsf{rg!r2}(); \ \textbf{return}; \} \\ \} \\ \} \end{array}
```

```
class Reg {
                                             class Worker<sub>1</sub> {
                                                void w1(Reg rg) {rg!r1(); return;}
  int f=1; int g=1;
  void r0() {this.f++: return:}
  void r1() {this.g*=2; return;}
                                             class Worker<sub>2</sub> {
  void r2() {this.g++; return;}
                                                void w2(Reg rg) {rg!r2(); return;}
```

```
reg:\{r0\}, wk1:\{w1\}, wk2:\{w2\}_{[wk1]}
                                 reg.r0 wk1.w1
          wk1:\{w1\}, wk2:\{w2\}_{[\ ]} reg:\{r0, r1\}, wk2:\{w2\}_{[wk2]}
                                                                     ___wk2.w2
reg: \{r1\}, wk2: \{w2\}_{\lceil \rceil} \ reg: \{r1\}, wk2: \{w2\}_{\lceil \rceil}
                                                                              reg:\{r0, r1, r2\}_{[1]}
    wk2.w2 \downarrow
              wk2.w2
   reg:\{r1\}\ reg:\{r2\}\ reg:\{r1\}\ reg:\{r2\}
        r0 < r1 < r2 \mid r0 < r2 < r1 \mid r0 < r1 < r2 \mid r0 < r2 < r1
```

```
class Reg {
                                            class Worker<sub>1</sub> {
                                              void w1(Reg rg) {rg!r1(); return;}
  int f=1; int g=1;
  void r0() {this.f++: return:}
  void r1() {this.g*=2; return;}
                                     class Worker<sub>2</sub> {
  void r2() {this.g++; return;}
                                              void w2(Reg rg) {rg!r2(); return;}
```

```
reg:\{r0\}, wk1:\{w1\}, wk2:\{w2\}_{[wk1]}
         reg: \{r1\}, wk2: \{w2\}_{\lceil \ \rceil} \ reg: \{r1\}, wk2: \{w2\}_{\lceil \ \rceil}
                                                                   reg:\{r0, r1, r2\}_{[r1, r2]}
    wk2.w2
             wk2.w2√
   reg:\{r1\} \ reg:\{r2\} \ reg:\{r1\} \ reg:\{r2\} \ \{r1\} \ \{r2\} \ \{r0\} \ \{r1\}
                                                                                                     r2<r1
       r0 < r1 < r2 \parallel r0 < r2 < r1 \parallel r0 < r1 < r2 \parallel r0 < r2 < r1 \parallel r0 < r2 < r0 < r1 \end{vmatrix}
```

TransDPOR reduces the exploration from 32 to 10 explorations

```
class Reg {
                                             class Worker<sub>1</sub> {
                                                void w1(Reg rg) {rg!r1(); return;}
  int f=1; int g=1;
  void r0() {this.f++: return:}
  void r1() {this.g*=2; return;}
                                             class Worker<sub>2</sub> {
  void r2() {this.g++; return;}
                                                void w2(Reg rg) {rg!r2(); return;}
```

```
reg:\{r0\}, wk1:\{w1\}, wk2:\{w2\}_{[wk1]}
         reg:\{r1\}, wk2:\{w2\}_{\cite{M}} reg:\{r1\}, wk2:\{w2\}_{\cite{M}}
                                                                 reg:\{r0, r1, r2\}_{[r1, r2]}
   wk2.w2
            wk2.w2√
   reg:\{r1\} \ reg:\{r2\} \ reg:\{r1\} \ reg:\{r2\} \ \{r1\} \ \{r2\} \ \{r0\} \ \{r1\}
                                                                                                  r2<r1
       r0 < r1 < r2 \parallel r0 < r2 < r1 \parallel r0 < r1 < r2 \parallel r0 < r2 < r1 \parallel r0 < r2 < r0 < r1 \end{vmatrix}
```

- TransDPOR reduces the exploration from 32 to 10 explorations
- But this can be improved further

First Contribution: Actor Selection based on Stability Crit.

- ▶ Effectiveness of (Trans)DPOR highly depends on selection ordering
 - E.g., if wk1 and wk2 are selected before reg no redundant execs are produced
- ▶ Idea: Select first stable actors
 - An actor is stable if no other actor different from it introduces tasks in its queue
 - If we select a stable actor its backtrack set will remain empty
 - We provide an analysis which computes sufficient cond. for temporal object stability (wrt the actors in that state)

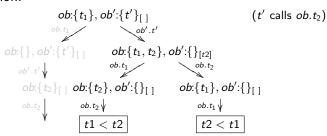
First Contribution: Actor Selection based on Stability Crit.

- ► Effectiveness of (Trans)DPOR highly depends on selection ordering
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 - We provide an analysis which computes sufficient cond. for temporal object stability (wrt the actors in that state)
- Intuition:

$$ob:\{t_1\}, ob':\{t'\}_{[1]}$$
 (t' calls $ob.t_2$)

First Contribution: Actor Selection based on Stability Crit.

- Effectiveness of (Trans)DPOR highly depends on selection ordering
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- Intuition:



```
class Reg {
                                             class Worker<sub>1</sub> {
                                                void w1(Reg rg) {rg!r1(); return;}
  int f=1; int g=1;
  void r0() {this.f++; return;}
  void r1() {this.g*=2; return;}
                                             class Worker<sub>2</sub> {
  void r2() {this.g++; return;}
                                                void w2(Reg rg) {rg!r2(); return;}
```

 $reg:\{r0\}, wk1:\{w1\}, wk2:\{w2\}_{[\]}$

▶ Actor reg is not stable. wk1 and wk2 are stable

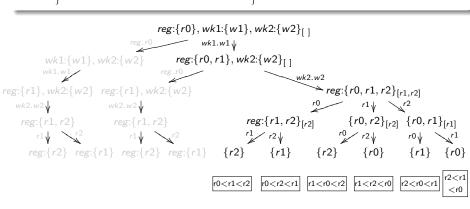
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```
class Reg {
                                             class Worker<sub>1</sub> {
                                                void w1(Reg rg) {rg!r1(); return;}
  int f=1; int g=1;
  void r0() {this.f++; return;}
  void r1() {this.g*=2; return;}
                                             class Worker<sub>2</sub> {
  void r2() {this.g++; return;}
                                                void w2(Reg rg) {rg!r2(); return;}
```

```
reg:\{r0\}, wk1:\{w1\}, wk2:\{w2\}_{[1]}
                        reg.r0
                                       wk1.w1
      wk1:\{w1\}, wk2:\{w2\} reg:\{r0, r1\}, wk2:\{w2\}_{[1]}
     wk1.w1
wk2.w2
   r1\sqrt{r^2}
```

Actor reg is not stable. wk2 is stable

```
class Reg {
                                              class Worker<sub>1</sub> {
                                                void w1(Reg rg) {rg!r1(); return;}
  int f=1; int g=1;
  void r0() {this.f++; return;}
  void r1() {this.g*=2; return;}
                                             class Worker<sub>2</sub> {
                                                void w2(Reg rg) {rg!r2(); return;}
  void r2() {this.g++; return;}
                        reg:\{r0\}, wk1:\{w1\}, wk2:\{w2\}_{[]}
```



▶ This reduces the exploration further, from 10 to 6 executions

Experimental Results of Actor Selection

- Not always possible finding a stable actor
 - Either because our analysis loses precision or because there is not
 - We propose Heuristics based on stability
- ► Experimental evaluation with 10 benchmarks:
 - In 9 of them no backtracking due to actor selection is performed
 - In 99% of the states (thousands, even millions!) a stable actor is found
 - In the remaining 1% the heuristics selects a stable actor
 - In the other benchmark more intelligent heuristics would be required
- Our actor selection is very effective in practice and has no significant overhead

2nd Contrib.: Task Selection based on Dependency Info.

▶ Observation: Execs. with different partial order lead to the same state

```
reg:\{r0\}, wk1:\{w1\}, wk2:\{w2\}
wk1.w1 \downarrow
reg:\{r0, r1\}, wk2:\{w2\}
wk2.w2 \downarrow
reg:\{r0, r1, r2\}
reg:\{r1, r2\}
\{r0, r2\}
\{r0, r1\}
r1
r1
r2
r0
r1
r2
r2
r3
r3
r3
r4
r1
r3
r4
r3
r4
r3
```

```
class Reg {
  int f=1;  int g=1;

  void r0() {this.f++; return;}
  void r1() {this.g*=2; return;}
  void r2() {this.g++; return;}
}
```

2nd Contrib.: Task Selection based on Dependency Info.

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```
class Reg {
  int f=1;  int g=1;

  void r0() {this.f++; return;}
  void r1() {this.g*=2; return;}
  void r2() {this.g++; return;}
}
```

Execution of r0 is independent from that of r1 and r2

 $indep(t,t') \leftarrow t does not write to fields that t' accesses and viceversa$

► In the example we have: indep(r0,r1) and indep(r0,r2)

- Intuition of algorithm:
 - Tasks have an associated mark, and can be marked or unmarked during the execution
 - A marked task cannot be selected.
 - When selecting a task, independent tasks after it in the queue are marked, and the rest are unmarked

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Algorithm in action

$$reg:\{r0, r1, r2\}$$

indep(r0,r1) and indep(r0,r2)

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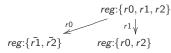
Algorithm in action



indep(r0,r1) and indep(r0,r2)

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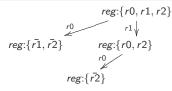
Algorithm in action



 $\mathsf{indep}(\mathsf{r0},\mathsf{r1}) \ \mathsf{and} \ \mathsf{indep}(\mathsf{r0},\mathsf{r2})$

- Intuition of algorithm:
 - Tasks have an associated mark, and can be marked or unmarked during the execution
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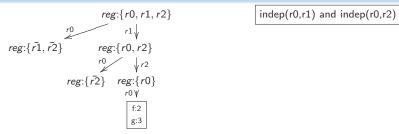
Algorithm in action



indep(r0,r1) and indep(r0,r2)

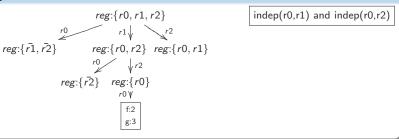
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Algorithm in action



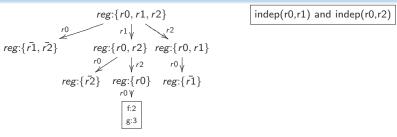
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Algorithm in action



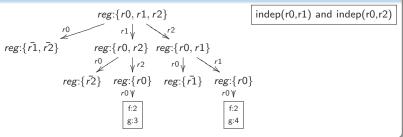
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Algorithm in action



- Intuition of algorithm:
 - Tasks have an associated mark, and can be marked or unmarked during the execution
 - A marked task cannot be selected
 - When selecting a task, independent tasks after it in the queue are marked, and the rest are unmarked

Algorithm in action



Independent tasks are selected consecutively just in a single order

Experimental Results

	No task sel. reduction				With task. sel. reduct.				Speedup	
Test name	Execs	Time	States	Н	Execs	Time	States	Н	Execs	Time
QSort.test1	4	2	18	3	4	2	18	3	1.0x	1.0×
QSort.test2	16	10	70	21	16	10	70	21	1.0×	1.0x
Fib.test1	4	3	18	3	4	3	18	3	1.0×	1.0x
Fib.test2	128	80	524	189	128	81	524	189	1.0×	1.0x
PSort.test1	288	69	1294	144	288	71	1294	144	1.0×	1.0×
PSort.test2	5760	1385	25829	2880	288	71	1304	144	20.0x	19.5×
RegSim.test1	10080	806	27415	0	720	136	3923	0	14.0x	5.9x
RegSim.test2	11520	864	31576	0	384	70	2132	0	30.0x	12.3x
DHT.test1	1152	137	3905	0	36	6	141	0	32.0x	22.8x
DHT.test2	480	97	2304	0	12	4	85	0	40.0x	24.2x
Mail.test1	2648	557	11377	0	460	120	2270	0	5.8x	4.6x
Mail.test2	1665500	>200s	5109783	0	27880	4064	94222	0	>60×	49.2x
BB.test1	155520	23907	475205	0	4320	681	13214	0	36.0x	35.1x
BB.test2	1099008	165114	3028298	0	45792	6945	126192	0	24.0×	23.8x

► Except for the first two benckmarks, the pruning is huge, the speedup ranging from one to two orders of magnitude

Plan of the Lecture

- ▶ Part 1: Symbolic execution and TCG
 - Introduction
 - Handling heap-manipulating programs
 - Compositionallity
- ▶ Part 2: CLP-based TCG
 - Introduction
 - Translation from imperative to CLP
 - Guided-TCG
 - Demo
- ▶ Part 3: TCG of Concurrent (Actor) Programs
 - The path explotion problem
 - · Symbolic execution and TCG for actors
 - Demo

Define a TCG framework for Actors:

- Symbolic execution (previous part)
- Termination criteria
- Coverage criteria
- ► TCG with synchronization primitives (await and get)

Coverage and Termination Criteria for Concurrent Objects

```
choose(N,M)
                                                            \{N \le M\}
class A {
  int f = 1;
                                                               p(N)
void choose(int n, int m) {
  if (n < m) then this ! p(n);
  else this ! q(m);
void p(int n) {
  while (n > 0) {
    this.f = this.f * n:
    n = n - 1:
```

Coverage and Termination Criteria for Concurrent Objects

```
choose(N,M)
                                                           \{N \le M\}
class A {
  int f = 1;
                                                              p(N)
void choose(int n, int m) {
  if (n < m) then this ! p(n);
  else this ! q(m);
                                                         while (N > 0)
void p(int n) {
  while (n > 0) {
    this.f = this.f * n:
    n = n - 1:
```

Coverage and Termination Criteria for Concurrent Objects

```
choose(N,M)
                                                          \{N \le M\}
class A {
  int f = 1;
                                                             p(N)
void choose(int n, int m) {
  if (n < m) then this ! p(n);
  else this ! q(m);
                                                        while (N > 0)
void p(int n) {
  while (n > 0) {
                                                \{N = 0\}
    this.f = this.f * n:
    n = n - 1:
                                 {N \le M, N = 0, this.f = 1}
```

Coverage and Termination Criteria for Concurrent Objects

```
choose(N,M)
                                                       \{N \le M\}
class A {
  int f = 1;
                                                           p(N)
void choose(int n, int m) {
  if (n < m) then this ! p(n);
  else this ! q(m);
                                                      while (N > 0)
void p(int n) {
  while (n > 0) {
    this.f = this.f * n:
    n = n - 1:
                               \{N \le M, N = 0, this.f = 1\} while (N1 > 0)
                                                                                       N1 = N - 1, this.f = N
```

Coverage and Termination Criteria for Concurrent Objects

```
choose(N,M)
                                                        \{N \le M\}
class A {
  int f = 1;
                                                           p(N)
void choose(int n, int m) {
  if (n < m) then this ! p(n);
  else this ! q(m);
                                                      while (N > 0)
void p(int n) {
  while (n > 0) {
    this.f = this.f * n:
    n = n - 1:
                               \{N \le M, N = 0, \text{ this.} f = 1\} while (N1 > 0)
                                                                                        N1 = N - 1, this.f = N
                                                         {N1 = 0}
                                              \{N \le M, N > 0, N1 = 0\}
                                              N1 = N - 1, this.f = N
```

Coverage and Termination Criteria for Concurrent Objects

```
choose(N,M)
                                                       \{N \le M\}
class A {
  int f = 1;
                                                           p(N)
void choose(int n, int m) {
  if (n < m) then this ! p(n);
  else this ! q(m);
                                                      while (N > 0)
void p(int n) {
  while (n > 0) {
    this.f = this.f * n:
    n = n - 1:
                                                                   while (N1 > 0) \{N \le M, N > 0, \dots \}
                               \{N \le M, N = 0, this.f = 1\}
                                                                                       N1 = N - 1, this.f = N
                                                                                 {N1 > 0}
                                             \{N \le M, N > 0, N1 = 0\}
                                                                            Infinite Branch
                                              N1 = N - 1, this.f = N
```

Coverage and Termination Criteria for Concurrent Objects

```
choose(N,M)
                                                                            Branch not Explored
                                                       \{N \le M
class A {
  int f = 1;
                                                          p(N)
                                                                             q(M)
void choose(int n, int m) {
  if (n < m) then this ! p(n);
  else this ! q(m);
                                                     while (N > 0)
void p(int n) {
  while (n > 0) {
    this.f = this.f * n:
    n = n - 1:
                                                                  while (N1 > 0)
                               \{N \le M, N = 0, this.f = 1\}
                                                                                      N1 = N - 1, this.f = N
                                                        {N1 = 0}
                                                                                {N1 > 0}
                                             \{N \le M, N > 0, N1 = 0\}
                                                                           Infinite Branch
                                              N1 = N - 1, this.f = N
```

Coverage and Termination Criteria for Concurrent Objects

```
choose(N,M)
                                    loop-k = 1
                                                       \{N \le M\}
class A {
  int f = 1;
                                                                              q(M)
                                                          p(N)
void choose(int n, int m) {
  if (n < m) then this ! p(n);
  else this ! q(m);
                                                     while (N > 0)
void p(int n) {
  while (n > 0) {
    this.f = this.f * n:
    n = n - 1:
                                                                                      \{N \le M,
                                                                   while (N1 > 0)
                               \{N \le M, N = 0, this.f = 1\}
                                                                                               -1, this f = N
                                                         {N1 = 0}
                                             {N \le M, N > 0, N1 = 0}
                                              N1 = N - 1, this.f = N
```

Coverage and Termination Criteria for Concurrent Objects

Task-switching coverage criteria: limit the number of task switches per object

```
choose(N.M)
class A {
                                                      \{N \le M\}
  int f = 1:
void choose(int n, int m) {
                                                         p(N)
  if (n < m) then this ! p(n);
                                              {N = 0}
                                                                 {N > 0}
  else this ! q(m);
                                                                  p(N1)
                                 \{0 \le M, N = 0, this.f = 1\}
                                                                  \{this.f = this.f * N. N1 = N - 1\}
void p(int n) {
                                                                                     {N1 > 0}
                                                      {N1 = 0}
  if (n > 0) then {
    this.f = this.f * n:
                                                                                     p(N2)
                                             \{1 \le M, N = 1, this.f = 1\}
    this ! p(n-1);
                                                                                     \{this.f = this.f * N2, N2 = N1 - 1\}
                                                                                                       {N2 > 0}
                                                                              {N2 = 0}
                                                                    \{2 \le M, N = 2, this.f =
```

Coverage and Termination Criteria for Concurrent Objects

Task-switching coverage criteria: limit the number of task switches per object

```
choose(N.M)
class A {
                                                          \{N \le M\}
  int f = 1:
void choose(int n. int m) {
                                                             p(N) new task (loop-k not applicable)
  if (n < m) then this ! p(n);
                                                 {N = 0}
                                                                      \{N > 0\}
  else this ! q(m);
                                                                       p(N1) new task (loop-k not applicable)
                                                                       \{this.f = this.f * N. N1 = N - 1\}
void p(int n) {
                                                                                          \{N1 > 0\}
                                                         {N1 = 0}
  if (n > 0) then {
     this.f = this.f * n:
                                                                                          p(N2) new task (loop-k not applicable)
                                                \{1 \le M, N = 1, this.f = 1\}
     this ! p(n-1);
                                                                                          \{this.f = this.f * N2, N2 = N1 - 1\}
                                                                                                              {N2 > 0}
                                                                                   {N2 = 0}
                                                                         \{2 \le M, N = 2, this.f = 2\}
```

Coverage and Termination Criteria for Concurrent Objects

Task-switching coverage criteria: limit the number of task switches per object

```
choose(N.M)
                                    task switches per object = 3
class A {
                                                       \{N \le M\}
  int f = 1:
                                                                            a(M)
void choose(int n, int m) {
                                                          p(N)
  if (n < m) then this ! p(n);
                                              {N = 0}
                                                                  {N > 0}
  else this ! q(m);
                                  \{0 \le M, N = 0, this.f = 1\}
                                                                   p(N1) 2
                                                                   {this.f = this.f * N, N1 = N}
void p(int n) {
                                                                                      {N1 > 0}
                                                      {N1 = 0}
  if (n > 0) then {
    this.f = this.f * n:
                                                                                      p(N2) 3
                                              \{1 \le M, N = 1, this.f = 1\}
    this ! p(n-1);
                                                                                      \{this.f = this.f * N2, N2 = N1 - 1
                                                                                                         \{N2 > 0\}
                                                                               {N2 = 0}
                                                                     \{2 \le M, N = 2, this.f = 2\}
```

Coverage and Termination Criteria for Concurrent Objects

Number of objects coverage criteria: limits the total number of created objects during the execution.

```
class A {
void choose(int n, int m) {
  if (n < m) then this ! p(n);
  else this ! a(m):
void p(int n) {
  if (n==0) then bodyThen
  else {
    A a = new A(...);
    a ! p(n-1);
```

Coverage and Termination Criteria for Concurrent Objects

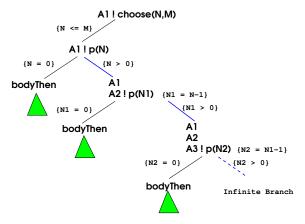
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    a ! p(n-1);
```

Coverage and Termination Criteria for Concurrent Objects

Number of objects coverage criteria: limits the total number of created objects during the execution.

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class A {
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  if (n==0) then bodyThen
  else {
    A a = new A(...);
    a ! p(n-1);
```



Coverage and Termination Criteria for Concurrent Objects

Number of objects coverage criteria: limits the total number of created objects during the execution.

```
A1!choose(N.M) 1
                             global number of objects = 3
                                                \{N \le M\}
                                                                     q(M)
                                                   A1!p(N)
class A {
void choose(int n, int m) {
                                                           {N > 0}
                                        {N = 0}
 if (n < m) then this ! p(n);
 else this ! a(m):
                                     bodyThen
                                                          2 A2 ! p(N1) {N1 = N-1}
void p(int n) {
                                                                               {N1 > 0}
 if (n==0) then bodyThen
 else {
                                                 bodyThen
    A = new A(...);
    a ! p(n-1);
                                                                             3 A3 ! p(N2) {N2 = N1-1}
                                                                     {N2 = 0}
                                                                      bodyThen
```

await and get primitives



await and get primitives

await x?: If the value of x is ready, then the execution proceeds. Otherwise, the execution from await x? on is stored in the queue of tasks of the current object, and a new task is selected to be executed.

await and get primitives

- await x?: If the value of x is ready, then the execution proceeds.
 Otherwise, the execution from await x? on is stored in the queue of tasks of the current object, and a new task is selected to be executed.
- y = x.get: If the value of x is ready then the execution proceeds. Otherwise the execution in the current object is blocked until the value of x be ready. Another task is selected to be executed

await and get primitives

- **await** x?: If the value of x is ready, then the execution proceeds. Otherwise, the execution from await x? on is stored in the queue of tasks of the current object, and a new task is selected to be executed.
- $\mathbf{v} = \mathbf{x}.\mathbf{get}$: If the value of x is ready then the execution proceeds. Otherwise the execution in the current object is blocked until the value of x be ready. Another task is selected to be executed

```
y = o ! q(n);
await y?;
z = y.get;
```

Task Interleavings

▶ When a task t suspends, there could be other tasks on the same object whose execution at this point could interleave with t and modify the information stored in the heap.

Task Interleavings

▶ When a task *t* suspends, there could be other tasks on the same object whose execution at this point could interleave with *t* and modify the information stored in the heap.

Task Interleavings

▶ When a task t suspends, there could be other tasks on the same object whose execution at this point could interleave with t and modify the information stored in the heap.

```
class A {
int n;
  int p(...) {
     n=0:
     await ...:
     if (n \ge 0) \dots; else ...;
```

► The symbolic execution of p will consider just the path that goes through the **if** branch;

Task Interleavings

▶ When a task *t* suspends, there could be other tasks on the same object whose execution at this point could interleave with *t* and modify the information stored in the heap.

```
class A { int n; int p(...) { n=0; await ...; if (n \geq 0) ...; else ...; }
```

- ► The symbolic execution of p will consider just the path that goes through the **if** branch;
- ► There can be another task (suspended in the queue of the object) which executes when p suspends and writes a negative value on n. This would exercise the **else** branch when p resumes.

Local Trace

Given a method m, the local trace associated with an execution of m is the sequence of instructions that belong to m.

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We look at the local trace rather than at the global trace since, when testing m, our aim is to ensure proper coverage of the instructions in method m.

Local Trace

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- ▶ We look at the local trace rather than at the global trace since, when testing m, our aim is to ensure proper coverage of the instructions in method m.
- ► The objective is to overapproximate, for each method m, the set related(m), which contains all methods whose interleaved execution with m can lead to a local execution not considered before.

Local Trace

Given a method m, the local trace associated with an execution of m is the sequence of instructions that belong to m.

- ▶ We look at the local trace rather than at the global trace since, when testing m, our aim is to ensure proper coverage of the instructions in method m.
- ► The objective is to overapproximate, for each method m, the set related(m), which contains all methods whose interleaved execution with m can lead to a local execution not considered before.
- ▶ Initially **related**(**m**) will contains <u>all methods</u> of the class under test.
- ► Limit the size of the queue

Pruning 1

Discard those methods which do not modify the heap



Pruning 1

Discard those methods which do not modify the heap

```
class A {
int f:
int g;
  int p(B o, int n) {
     this.f = this.f + 1;
     y = o ! q(n);
     await y?;
                                                                    \Rightarrow related(p) = \{setF, setG, set\}
     z = y.get;
     return z + this.f;
  void setF(int v) { this.f = v; }
  void setG(int v) \{ this.G = v; \}
  void set(int v1, int v2) { this.setF(v1); this.setG(v2); }
```

Pruning 2

Pruning 1 but discarding also those methods which modify the heap transitively (not directly)

Pruning 2

Pruning 1 but discarding also those methods which modify the heap transitively (not directly)

Pruning 3

Consider only interleavings with those methods that write directly on fields which are used before an await and used after the await

Pruning 3

Consider only interleavings with those methods that write directly on fields which are used before an **await** and used after the **await**

Plan of the Lecture

- ▶ Part 1: Symbolic execution and TCG
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 - Introduction
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Conclusions & References (Part 3)

Conclusions

- Symbolic execution of actor systems [PADL'12]
- We have proposed termination and coverage criteria for actors
- We have proposed different prunings to consider task interleavings in TCG [ICLP'12]
- ► An implementation of the technique [ACM/FSE'13]
- ► We have proposed two improvements to the state-of-the-art algorithm for testing actor systems [FORTE'14]
 - Actor selection strategy based on actors stability
 - 2 Task selection based on task independence

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Ongoing/Future Work

- Experiment with more intelligent heuristics
- ▶ Improve sufficient condition for task independence



Conclusions

(CLP-based) TCG based on Symbolic Execution:

- Symbolic execution is the standard approach to generating glass-box test cases statically
- ► The main challenges in TCG based on symbolic execution are related to the scalability of the approach
- We have presented a (scalable) approach to TCG of heap-manipulating programs
- We have studied compositionallity in TCG
- Guided TCG

CLP-based TCG for Actor Systems:

- ► Novel termination and coverage criteria
 - ► Elimination of redundant exploration
 - Consider tasks interleavings