

Università degli Studi di Padova



Università Ca' Foscari Venezia

## Linear Typing for Asset-aware Programming

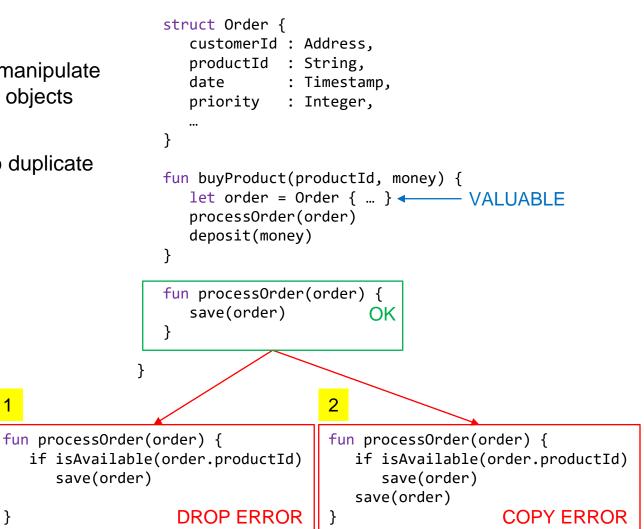
#### M. Bugliesi, S. Crafa, G. Dal Sasso, S. Rossi, A. Spanò

Meeting PRIN NiRvAna 2024

Udine, June 6-8

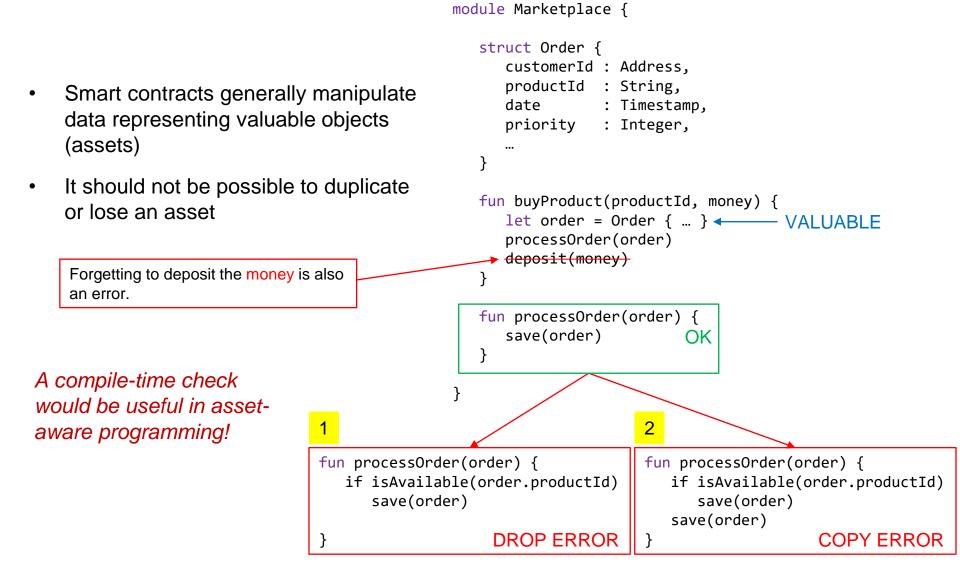
## Valuables

- Smart contracts generally manipulate data representing valuable objects (assets)
- It should not be possible to duplicate or lose an asset



module Marketplace {

## Valuables



## Linear Types in Move

• User-defined datatypes can be *tagged* with **capabilities** 

```
struct Copiable has copy {
    /* fields */
}
```

```
struct Droppable has drop {
   /* fields */
}
```

```
struct Normal has copy, drop {
    /* fields */
}
```

```
struct Linear {
    /* fields */
}
```

Can be **copied**, not dropped

Can be dropped, not copied

Can be copied and dropped

Cannot be copied or dropped

## **Moving Linear Datatypes**

- Non-copiable data can only be **moved** through scopes
- Prevents double-spending at compile-time

• Other modules cannot access fields (Information Hiding)



## The Drop Ability

- A drop can happen in two sites:
  - Assignment
  - End of scope
- Disabling drop avoids asset loss

## Formalization of Move

Value $v ::= n$	integer				
$   \underline{struct \{k\} \operatorname{M.S} \left[  \overline{v}  \right]}$	struct value $k \in K$	Term $t$ :::	=	v	value
	n c n			x	variable
				x.j	select $j$ -th field of $x$
Type T $::=$ Int integer				$\operatorname{let} x = t_1 \operatorname{in} t_2$	let binding
M.S struct name				$\texttt{call}\mathrm{M.F}[\overline{t}]$	function call
				pack $\mathrm{M.S}[\overline{t}]$	constructor
				unpack $\{\overline{x}\}=t_1$ in $t_2$	deconstructor
				if $t_1$ then $t_2$ else $t_3$	
$\mathrm{FD}$ ::= fun $\mathrm{F}\left(\overline{x}:\overline{\mathrm{T}} ight):\mathrm{T}_{r}\left\{t_{b} ight\}$	function definition			pub $t$	publish a resource
$\mathrm{SD}$ ::= str $\mathrm{S}\left\{\top, \overline{\mathrm{T}}\right\}$   str $\mathrm{S}\left\{\bot\right\}$	$\{, \overline{T}\}$ struct definition			$\underline{exec} \operatorname{M} t$	function body
$\mathrm{MD} ::= \mathrm{M} \left\{ \overline{\mathrm{SD}} \; , \; \overline{\mathrm{FD}} \right\}$	module definition			$\underline{v}.\underline{j}$	select $j$ -th field of $v$
$P ::= \overline{MD}$	program				

## Highlights

#### Type system and operational semantics

- Resource Preservation: assets cannot be duplicated or accidentally lost at runtime
- Proves double-spending is prevented at compile time
- Equivalent to theorem by Blackshear et al. for bytecode lifted to source code
- Helps proving properties hold when compiling Move into other bytecodes
- Mechanized in Agda

#### A pure subset of Move

- No side effects (assignment), no references
- Monadic representation of CPS

## CPS and State Monads in a nutshell

A simplified example:

### CPS

```
struct Coin {
    amount : u64
}
let c1 = mint(100);
let c2 = spend(c1, 10);
let c3 = spend(c2, 30);
```

#### **State Monad**

type state = Coin

```
do mint(100);
    spend(10);
    spend(30);
```

State Monad automatizes the Continuation-Passing Style

## **Basic properties**

**Lemma 5** (Substitution). Given  $M_v \ni \Delta_1 \vdash v : T_v \bowtie \Delta_2$ , the following two properties hold:

- 1. If  $M \ni \Gamma_1, x : U \vdash t : T \rhd \Gamma_2, x : U$  with  $U = T_v^\circ$  or  $U = T_v^\bullet$ then  $M \ni \Gamma_1, x : U \vdash t\{x := v\} : T \rhd \Gamma_2, x : U$
- 2. If  $\mathbf{M} \ni \Gamma_1, x : \mathbf{T}_v^{\circ} \vdash t : \mathbf{T} \succ \Gamma_2, x : \mathbf{T}_v^{\bullet}$ then  $\mathbf{M} \ni \Gamma_1, x : \mathbf{T}_v^{\bullet} \vdash t\{x := v\} : \mathbf{T} \succ \Gamma_2, x : \mathbf{T}_v^{\bullet}$

**Lemma 6** (Type preservation). If  $M \ni \Gamma_1 \vdash t : T \rhd \Gamma_2$  and  $M \ni t \rightarrow t'$  then:

$$\mathbf{M} \ni \Gamma_1 \vdash t' : \mathbf{T} \vartriangleright \Gamma_2$$

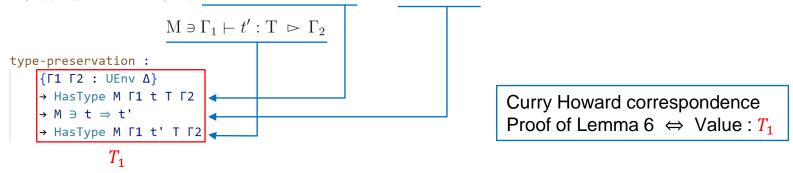
**Theorem 1** (Type Safety). If  $M \ni \emptyset \vdash t : T \rhd \emptyset$  and  $M \ni t \to^* t'$  then, either t' is a value or there exists a term t'' such that  $M \ni t' \to t''$ .

## **Basic properties**

**Lemma 5** (Substitution). Given  $M_v \ni \Delta_1 \vdash v : T_v \bowtie \Delta_2$ , the following two properties hold:

- 1. If  $M \ni \Gamma_1, x : U \vdash t : T \rhd \Gamma_2, x : U$  with  $U = T_v^\circ$  or  $U = T_v^\bullet$ then  $M \ni \Gamma_1, x : U \vdash t\{x := v\} : T \rhd \Gamma_2, x : U$
- 2. If  $\mathbf{M} \ni \Gamma_1, x : \mathbf{T}_v^{\circ} \vdash t : \mathbf{T} \succ \Gamma_2, x : \mathbf{T}_v^{\bullet}$ then  $\mathbf{M} \ni \Gamma_1, x : \mathbf{T}_v^{\bullet} \vdash t\{x := v\} : \mathbf{T} \succ \Gamma_2, x : \mathbf{T}_v^{\bullet}$

**Lemma 6** (Type preservation). If  $M \ni \Gamma_1 \vdash t : T \rhd \Gamma_2$  and  $M \ni t \rightarrow t'$  then:



**Theorem 1** (Type Safety). If  $M \ni \emptyset \vdash t : T \rhd \emptyset$  and  $M \ni t \to^* t'$  then, either t' is a value or there exists a term t'' such that  $M \ni t' \to t''$ .

```
type-safety :

| HasType M [] t1 T []
\rightarrow M \ni t1 \Rightarrow^* t2
\rightarrow (Value t2) \ \ (P.\exists \ \lambda \ t3 \rightarrow M \ni t2 \Rightarrow t3)
```

Value $v ::= n$	integer				
$   \underline{struct \{k\} \operatorname{M.S} \left[  \overline{v}  \right]}$	struct value $k \in K$	Term $t$	::=	v	value
κ.	$\kappa \in R$			x	variable
				x. $j$	select $j$ -th field of $x$
Type T $::=$ Int integer				$\operatorname{let} x = t_1 \operatorname{in} t_2$	let binding
M.S struct name				$\texttt{call}\mathrm{M.F}[\overline{t}]$	function call
				pack $\mathrm{M.S}[\overline{t}]$	constructor
				unpack $\{\overline{x}\}=t_1$ in $t_2$	deconstructor
				if $t_1$ then $t_2$ else $t_3$	
$\mathrm{FD}$ ::= fun $\mathrm{F}\left(\overline{x}:\overline{\mathrm{T}}\right):\mathrm{T}_{r}\left\{t_{b} ight\}$	function definition			pub $t$	publish a resource
$\mathrm{SD}$ ::= str $\mathrm{S} \{ \top, \overline{\mathrm{T}} \} \mid str \mathrm{S} \{ \bot \}$	$, \overline{T} \}$ struct definition			$\underline{exec} \operatorname{M} t$	function body
$\mathrm{MD} ::= \mathrm{M} \left\{ \overline{\mathrm{SD}} \; , \; \overline{\mathrm{FD}} \right\}$	module definition			v.j	select $j$ -th field of $v$
$P ::= \overline{MD}$	program				

## **Resource Preservation**

We proved that in FM resource values (linear struct values) can't be duplicated and can't be lost during the execution of a program.

- The programmer can't create a new resource without **explicitly** doing so with a pack.
- The programmer can't delete a resource without **explicitly** doing so with an unpack.

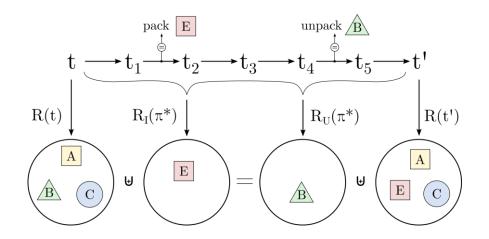
## **Resource Preservation**

We proved that in FM resource values (linear struct values) can't be duplicated and can't be lost during the execution of a program.

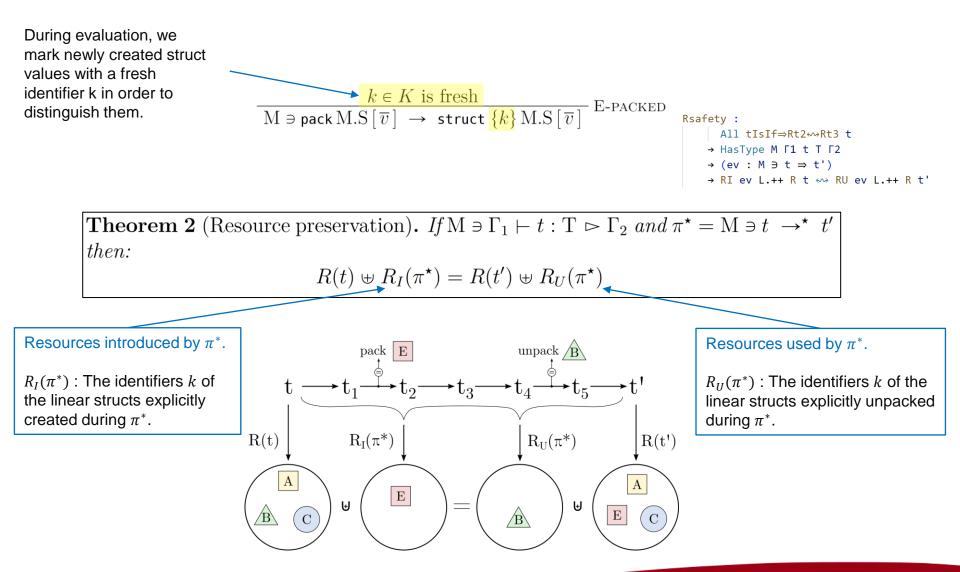
- The programmer can't create a new resource without **explicitly** doing so with a pack.
- The programmer can't delete a resource without **explicitly** doing so with an unpack.

**Theorem 2** (Resource preservation). If  $M \ni \Gamma_1 \vdash t : T \rhd \Gamma_2$  and  $\pi^* = M \ni t \rightarrow^* t'$ then: h

$$R(t) \uplus R_I(\pi^{\star}) = R(t') \uplus R_U(\pi^{\star})$$



## **Resource Preservation**



# Thank you.